

# Stimulatory Action of Telmisartan, an Antagonist of Angiotensin II Receptor, on Voltage-Gated $\text{Na}^+$ Current: Experimental and Theoretical Studies

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## Abstract

Telmisartan (Tel) is recognized as a non-peptide blocker of AT1R. Whether this agent has any direct effects on ion currents remains unexplored. In whole-cell current recordings, addition of Tel increased the peak amplitude of voltage-gated  $\text{Na}^+$  ( $\text{Na}_V$ ) current ( $I_{\text{Na}}$ ) accompanied by the increased time constant of  $I_{\text{Na}}$  inactivation in differentiated NSC-34 motor neuron-like cells. Tel-stimulated  $I_{\text{Na}}$  in these cells is unlinked to either blockade of AT1R or activation of peroxisome proliferator-activated receptor gamma (PPAR- $\gamma$ ). In order to explore how this compound affects the amplitude and kinetics of  $I_{\text{Na}}$  in neurons, a Hodgkin-Huxley-based (HH-based) model designed to mimic effect of Tel on the functional activities of neurons was computationally created in this study. In this framework, the parameter for  $h$  inactivation gating variable, which was changed in a stepwise fashion, was implemented to predict changes in membrane potentials ( $V$ ) as a function of maximal  $\text{Na}^+$  ( $G_{\text{Na}}$ ),  $\text{K}^+$  conductance ( $G_{\text{K}}$ ), or both. As inactivation time course of  $I_{\text{Na}}$  was increased, the bifurcation point of  $V$  versus  $G_{\text{Na}}$  became lower, and the range between subcritical and supercritical values at the bifurcation of  $V$  versus  $G_{\text{K}}$  correspondingly became larger. During a slowing in  $I_{\text{Na}}$  inactivation, the critical boundary between  $G_{\text{Na}}$  and  $G_{\text{K}}$  was shifted towards the left. Simulation studies demonstrated that progressive slowing in the inactivation time course of  $I_{\text{Na}}$  resulted in unanticipated increase of neuronal excitability by mimicking the effect of Tel in neuronal cells. Collectively, Tel can directly interact with the  $\text{Na}_V$  channel to increase peak  $I_{\text{Na}}$  as well as to slow  $I_{\text{Na}}$  inactivation. It is thus highly likely that the effects of Tel or its structurally similar drugs could be another intriguing mechanism underlying their pharmacological actions in neurons or neuroendocrine cells occurring *in vivo*.

**Key Words:** bifurcation analysis, Hodgkin-Huxley kinetics, potassium current, sodium current, Telmisartan

## Introduction

Telmisartan (Tel), a non-peptide, orally-active blocker of AT1R, is the newest available drug class which has been widely used for treating hypertension and different cardiovascular disorders (2, 10, 43).

Because Tel has a distinctive aromatic group that is modified, it possesses good lipophilicity so as to readily transverse the blood-brain barrier and subsequently to penetrate different brain regions (26). Moreover, owing to its activation of peroxisome proliferator-activated receptor gamma (PPAR- $\gamma$ ) ac-

tivity or blockade of angiotensin II receptor (3, 29), there is a considerable body of evidence to show the ability of this compound to produce anti-inflammatory actions (1, 2, 19), to ameliorate impaired cognitive functions (8, 13, 23) and to be beneficial for traumatic or ischemic brain injuries (19, 20, 22, 29-31).

The voltage-gated  $\text{Na}^+$  ( $\text{Na}_V$ ) channels, nine subtypes of which were denoted  $\text{Na}_V1.1$  through  $\text{Na}_V1.9$ , belong to the larger protein superfamily of voltage-dependent ion channels and they are involved in the generations and propagation of action potentials (APs) in electrically excitable cells (5). Once the membrane is adequately depolarized,  $\text{Na}_V$  channels can readily go through rapid transitions from their resting to the open state, then to the inactivated state. The genetic defects in  $\text{Na}^+$  channel inactivation that result in small sustained  $\text{Na}^+$  current ( $I_{\text{Na}}$ ) after the AP firing have been recognized to have devastating consequences, including seizures, periodic paralysis, neuropathic pain, and long QT-3 (LQT-3) syndrome (11, 17, 21, 25, 33). Of interest, an earlier work showed the ability of Tel to retard the inactivation of  $I_{\text{Na}}$  in rat cardiomyocytes (18). Previous observations at our laboratory have demonstrated the presence of  $I_{\text{Na}}$  in differentiated NSC-34 motor neuron-like cells (39). However, to what extent this compound has any direct perturbations on ion-channel activity in neurons or neuroendocrine cells remains incompletely understood.

For these reasons, the aim of this study was to use an experimental and simulation approach for evaluation of the role of  $\text{Na}_V$ -channel kinetics in the electrical behavior of neurons and for investigations of the observed effects of Tel on  $I_{\text{Na}}$  in NSC-34 neuronal cells. In this study, we found that, aside from its blockade of AT1Rs or stimulation of PPAR- $\gamma$  activity, Tel is particularly effective not only at stimulating the peak amplitude of  $I_{\text{Na}}$  but also at delaying  $I_{\text{Na}}$  inactivation. Additionally, by capturing the qualitative aspects of the issue how the gating kinetics of  $I_{\text{Na}}$  influence electrical behaviors of neurons, numerical simulations of this current were noted to reproduce the actual experimental data and showed that changes in AP firing caused by this compound could arise from both increase in the peak amplitude and inactivation time constant of  $I_{\text{Na}}$ .

## Materials and Methods

### Cell Preparations

NSC-34 neuronal cells were originally produced by fusion of motor neuron-enriched, embryonic mouse spinal cords with mouse neuroblastoma. Briefly, they were maintained in 1:1 mixture of Dulbecco's modified Eagle's medium (DMEM) and Ham's F-12 medium

supplemented with 10% (v/v) fetal bovine serum (FBS) and 1% penicillin-streptomycin (15, 39). Cultures were incubated at 37°C in a humidified environment of 5%  $\text{CO}_2$ /95% air. The medium was replenished every 2-3 days for removal of non-adhering cells. To slow cell proliferation and enhance their maturation towards a differentiated state, before confluence, cells were grown in 1:1 DMEM plus Ham's F-12 medium supplemented with 1% FBS. In a separate set of experiments, NSC-34 cells were treated with angiotensin II (200 nM) at 37°C for six hours.

### Electrophysiological Measurements

Shortly before the experiments were made, NSC-34 cells were harvested with 1% trypsin/ethylenediaminetetraacetic acid (EDTA) solution and an aliquot of cell suspension was thereafter transferred to a home-made recording chamber mounted on the stage of a DM-IL inverted microscope (Leica Microsystems, Wetzlar, Germany). They were bathed at room temperature (20-25°C) in normal Tyrode's solution to which 1.8 mM  $\text{CaCl}_2$  was added. The composition of Hepes-buffered normal Tyrode's solution was as follows (in mM): NaCl 136.5, KCl 5.4,  $\text{CaCl}_2$  1.8,  $\text{MgCl}_2$  0.53, glucose 5.5, and Hepes-NaOH buffer 5 (pH 7.4). To record  $\text{K}^+$  current, recording pipette was filled with a solution (in mM): KCl 140,  $\text{MgCl}_2$  1,  $\text{Na}_2\text{ATP}$  3,  $\text{Na}_2\text{GTP}$  0.1, EGTA 0.1, and Hepes-KOH buffer 5 (pH 7.2). To measure  $I_{\text{Na}}$ ,  $\text{K}^+$  ions inside the internal solution were replaced with equimolar  $\text{Cs}^+$  ions, and the pH was adjusted to 7.2 with CsOH. Patch pipettes were pulled from Kmax-51 glass capillaries (#34500; Kimble Glass, Vineland, NJ) using either a PP-830 puller (Narishige, Tokyo, Japan) or a P-97 Flaming/Brown micropipette puller (Sutter, Novato, CA), and they were then fire-polished with an MF-83 microforge (Narishige). The electrodes, which bore resistances between 3 and 5 M $\Omega$  when filled with different intracellular solutions, were maneuvered by use of an MX-4 manipulator (Narishige) precisely controlled by an MHW-3 hydraulic micromanipulator (Narishige). Standard patch-clamp recordings were performed in whole-cell configuration of the patch-clamp technique by means of an RK-400 (Bio-Logic, Claix, France) or Axopatch-200B (Molecular Devices, Sunnyvale, CA) patch-clamp amplifier (21, 39).

### Data Recordings and Analyses

The signals were displayed on a liquid crystal projector (PJ550-2; ViewSonic, Walnut, CA, USA) and online stored in a TravelMate-6253 laptop computer (Acer, Taipei, Taiwan) at 10 kHz through a DigiData-1320 series interface (Molecular Devices).

The latter device was equipped with an Adaptec SlimSCSI card (Milpitas, CA, USA) via a PCMCIA card slot and mainly controlled by pCLAMP 9.2 (Molecular Devices). In some set of experiments, the data were acquired by PowerLab acquisition system with LabChart 7.0 software (AD Instruments; Gerin, Tainan, Taiwan). Ion currents were low-pass filtered at 1–3 kHz. The signals achieved during whole-cell experiments were offline analyzed using pCLAMP 9.2 (Molecular Devices), Origin 8.0 (OriginLab, Northampton, MA), or custom-made macros built in Excel 2013 spreadsheet running on Windows-8 (Microsoft, Redmond, WA, USA). To determine the current-voltage relationships and the steady-state activation or inactivation curves for ion currents (*e.g.*,  $I_{Na}$ ), a family of rectangular or ramp voltage pulses generated by pCLAMP 9.2 were digitally created.

To evaluate the percentage stimulation of Tel on peak  $I_{Na}$ , cells were bathed in  $Ca^{2+}$ -free Tyrode's solution, each cell was depolarized from -80 to -10 mV, and peak amplitude during different concentrations of Tel was compared. The peak amplitude of  $I_{Na}$  in the presence of 30  $\mu$ M Tel was taken as 100%. The Tel concentration required to stimulate 50% of current amplitude was fitted to a Hill function:  $y = E_{max} / \{1 + (EC_{50}^n / [C]^n)\}$ , where  $[C]$  is the concentration of Tel,  $EC_{50}$  and  $n$  are the half-maximal concentration of Tel required to stimulate  $I_{Na}$  and the Hill coefficient, respectively, and  $E_{max}$  is Tel-induced maximal stimulation of  $I_{Na}$ .

To characterize the steady-state inactivation curve of  $I_{Na}$  with or without addition of Tel, the two-step voltage profile was employed. The relationships between the conditioning potentials (from -100 to -10 mV with a duration of 50 msec) and the normalized amplitude of  $I_{Na}$  in response to membrane depolarization from -80 to -10 mV were plotted and well fit by the Boltzmann equation:  $I/I_{max} = 1 / \{1 + \exp[(V - V_{1/2})/k]\}$ , where  $I_{max}$  is the maximal activated  $I_{Na}$ ,  $V$  the membrane potential in mV,  $V_{1/2}$  the membrane potential for half-maximal inactivation, and  $k$  the slope factor of inactivation curve.

The trajectory of  $I_{Na}$  activation or inactivation elicited by step depolarization seen in NSC-34 neuronal cells was fitted by a one- or two-exponential process, respectively. The solver subroutine built in Microsoft Excel was used to fit the trajectory by least-squares minimization procedure. Results of experiments performed on NSC-34 cells shown in Fig. 1B, 1C and 1D are expressed as the mean  $\pm$  standard error of the mean (SEM), and the values of  $n$  indicate the number of cells from which the data were taken. The paired or unpaired Student's *t* test and one-way analysis of variance with a least-significance difference method for multiple comparisons were used for the statistical evaluation of differences

among means. The level of statistical significance was set at  $P < 0.05$ .

### Chemicals and Drugs

Tel (Micardis®;  $C_{33}H_{30}N_4O_2$ ; 4'-[(1,4'-dimethyl-2'-propyl[2,6'-bi-1H-benzimidazol]-1'-yl)-1'-yl]methyl)-[1,1'-biphenyl]-2-carboxylic acid), bisphenol A diglycidyl ether (BADGE) and ciglitazone were obtained from Tocris Cookson Ltd. (Bristol, UK), and angiotensin II, tefluthrin, tetraethylammonium chloride (TEA), tetrodotoxin and valsartan were from Sigma-Aldrich (St. Louis, MO). Tissue culture media and trypsin/EDTA were obtained from Invitrogen (Carlsbad, CA). All other chemicals including  $CdCl_2$ ,  $CsCl$  and  $CsOH$  were commercially available, and they were prepared from reagent-grade chemical and Milli-Q water.

### Computer Simulations

To simulate the slowing in the rate of  $I_{Na}$  inactivation, a modified Hodgkin-Huxley (HH) model was mathematically constructed. The theoretical model used in this study was described previously (4, 6, 45). For total  $I_{Na}$ , the modified HH scheme (*i.e.*,  $m^3h$  formalism) was used according to the following equation:

$$I_{Na} = G_{Na} \times m^3 \times h \times (V - V_{Na})$$

The rate constants for  $I_{Na}$  implemented in the simulation here are described by the following equations:

$$\begin{aligned} \alpha_m &= \frac{0.1(V + 40)}{1 - \exp[-0.09(V + 40)]}, \\ \beta_m &= 4 \exp[-0.055(V + 65)], \\ \alpha_h &= 0.07 \exp[-0.05(V + 65)], \\ \beta_h &= \frac{1}{1 + \exp[-0.1(V + 35)]}. \end{aligned}$$

The inactivation parameter of  $I_{Na}$  used for mimicking the effect of Tel on this current is reformulated by

$$h = \frac{\phi \times \alpha_h}{\alpha_h + \beta_h}$$

where  $h$  is inactivation gating variable,  $\alpha_h$  and  $\beta_h$  are the rate constants for inactivation gating variable, and the parameter  $\phi$  represents the magnitude of  $Na_V$ -channel inactivation. As the value of  $\phi$  is elevated, the time course of  $Na_V$  channel inactivation elicited by membrane depolarization becomes

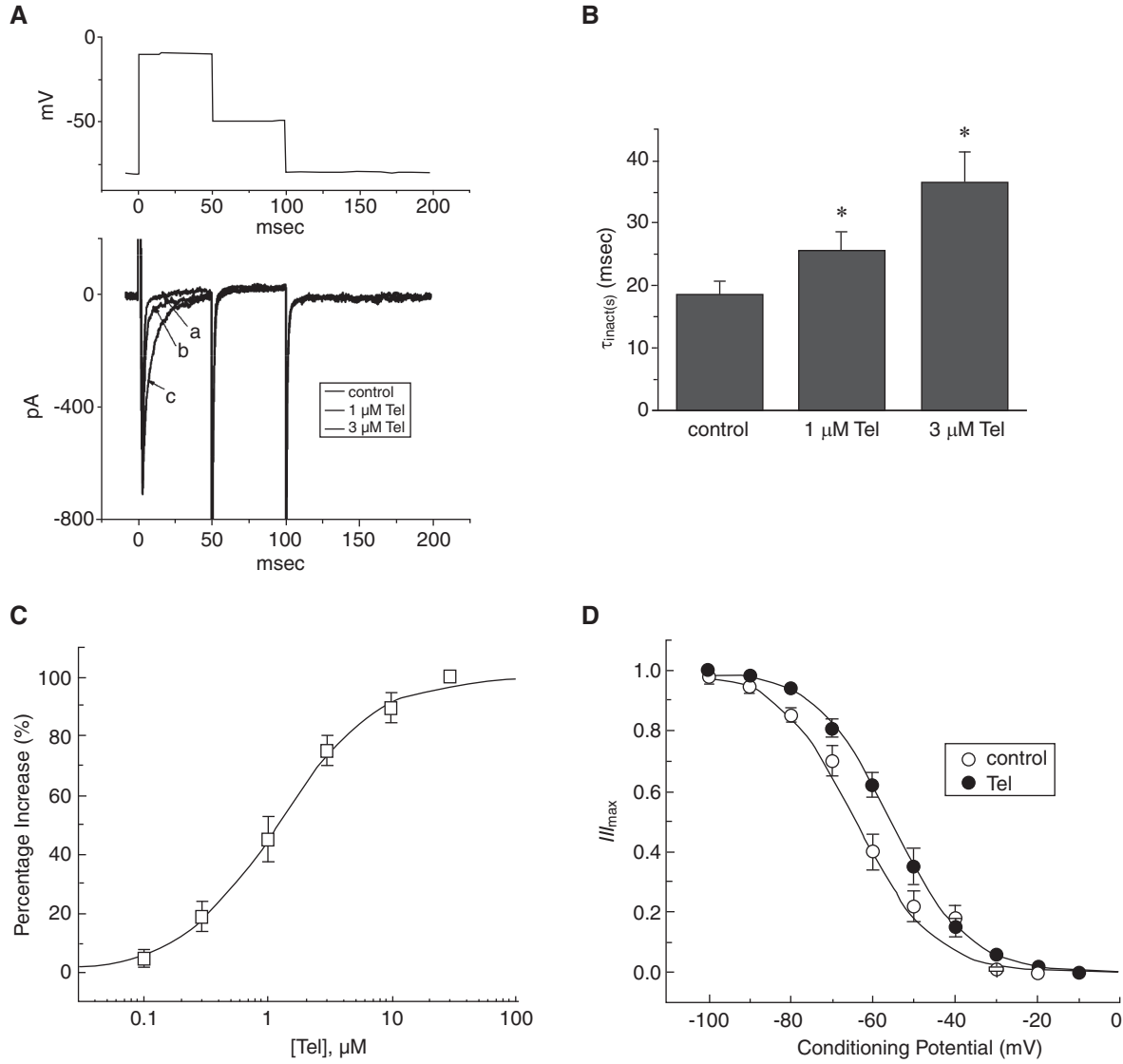


Fig. 1. Stimulatory effect of Tel on voltage-gated  $I_{Na}$  in differentiated NSC-34 neuronal cells. In this set of experiments, NSC-34 cells were immersed in  $Ca^{2+}$ -free Tyrode's solution which contained 0.5 mM  $CdCl_2$  and 10 mM TEA, and the recording pipettes were filled with  $Cs^+$ -containing solution. (A) Superimposed  $I_{Na}$  traces obtained in the absence (a) and presence of 1  $\mu$ M (b) or 3  $\mu$ M (c) Tel in an NSC-34 cell. The upper part in (A) indicates the voltage protocol applied to the examined cell at a rate of 0.1 Hz. (B) Summary of the data showing effects of Tel on the time constant for the slow component of  $I_{Na}$  inactivation ( $\tau_{inact(s)}$ ) elicited by membrane depolarization from -80 to -10 mV. Each bar represents means  $\pm$  SEM of data from 12 cells. \*Significantly different from control ( $P < 0.05$ ). Note that the presence of Tel can prolong the value of  $\tau_{inact(s)}$  as well as enhance the peak  $I_{Na}$  amplitude. (C) Concentration-response relationship of Tel-induced stimulation of peak  $I_{Na}$  (means  $\pm$  SEM;  $n = 8-12$  for each point). The smooth line represents the best fit to the Hill equation as described in Materials and Methods. The values for  $EC_{50}$ , Hill coefficient, and maximal percentage increase of  $I_{Na}$  were 1.2  $\mu$ M, 1.1, and 100%, respectively.

slowed along with increased current amplitude.

Changes of membrane potential in this modified HH model are described by the following equation:

$$C_m \frac{dV}{dt} = -I_{Na} - I_K - I_L$$

where  $C_m$  is the membrane capacitance and  $V$  is the

membrane potential. The model equation used to formulate other types of ionic currents (e.g.,  $I_K$  and  $I_L$ ) were previously described (6, 35).

Computer programs shown in this study were either written in C++ programming language or came with the XPP simulation package available at <http://www.math.pitt.edu/~bard/xpp/xpp.html>, at which the analyses for linear stability and bifurcation were

**Table 1. Default parameter values used for the modified HH model in this study.**

Symbol	Description	Value
$C_m$	Membrane capacitance	1 $\mu$ F
$G_{Na}$	Maximal $I_{Na}$ conductance	120 mS/cm <sup>2</sup>
$G_K$	Maximal $K^+$ current conductance	36 mS/cm <sup>2</sup>
$G_L$	Leak current conductance	0.3 mS/cm <sup>2</sup>
$V_{Na}$	$Na^+$ reversal potential	+50 mV
$V_K$	$K^+$ reversal potential	-77 mV
$V_L$	Reversal potential for leak current	-54.4 mV

primarily performed. Parts of numerical simulations such as  $I_{Na}$  were verified under Microsoft Excel (4, 34). They were run under a Hewlett-Packard workstation (HPxw9300; Palo Alto, CA). The ordinary differential equations were numerically solved using the explicit Euler method with a time step of 0.01 msec. In the present simulations, the values of ionic conductance and reversal potential used to solve the set of ordinary differential equations are listed in Table 1, unless otherwise stated. Source files applied for this study can be available at <http://senselab.med.yale.edu/modeldb>. For the sake of clarity, figures shown in this paper were made in OriginPro 2016 (Microcal Software, Inc., Northampton, MA).

## Results

### *Effect of Tel on $I_{Na}$ in NSC-34 Neuronal Cells*

The first set of experiments was conducted to investigate the possible effect of Tel on  $I_{Na}$  in response to step depolarizations in these cells. Cells were immersed in  $Ca^{2+}$ -free Tyrode's solution to which 0.5 mM  $CdCl_2$  and 10 mM TEA were added, and the whole-cell voltage-clamp experiments were made with  $Cs^+$ -containing pipette solution.  $CdCl_2$  and TEA are known to block  $Ca^{2+}$  and  $K^+$  currents, respectively. As shown in Fig. 1, the cell was depolarized from -80 to -10 mV with a duration of 50 msec, and the rapidly activating  $I_{Na}$  which was sensitive to block by tetrodotoxin (1  $\mu$ M) could be readily elicited. Interestingly, when cells were challenged with Tel, the peak amplitude of  $I_{Na}$  was significantly enhanced and the inactivation time course of this current became greatly slowed. For example, when the step depolarization was applied from -80 to -10 mV, addition of Tel at a concentration of 3  $\mu$ M significantly increased the peak amplitude of  $I_{Na}$  from  $413 \pm 15$  to  $698 \pm 23$  pA ( $n = 12$ ,  $P < 0.05$ ). Besides that, the slow component for the inactivation

time constant of  $I_{Na}$  ( $\tau_{inact(S)}$ ) was significantly prolonged to  $36.5 \pm 2.3$  msec ( $n = 12$ ,  $P < 0.05$ ) from a control of  $18.6 \pm 1.5$  msec (Fig. 1B). After washout of the drug,  $I_{Na}$  amplitude was returned to  $432 \pm 19$  pA ( $n = 9$ ). Similarly, addition of tefluthrin (10  $\mu$ M), a pyrethroid with the  $I_{Na}$ -stimulating activities (36, 37), could increase the peak  $I_{Na}$  accompanied by a considerable reduction in  $I_{Na}$  inactivation observed in these cells.

The relationship between the concentration of Tel and the percentage increase of peak  $I_{Na}$  was constructed (Fig. 1C). The presence of Tel (0.1-30  $\mu$ M) was found to increase the peak amplitude of  $I_{Na}$  in a concentration-dependent manner. The half-maximal concentration required for the stimulatory effect of Tel on  $I_{Na}$  was 1.2  $\mu$ M; and Tel at a concentration of 30  $\mu$ M increased peak  $I_{Na}$  fully. The Hill coefficient was noted to be 1.1, suggesting that there was no cooperativity involved.

To characterize stimulatory effect of Tel on  $I_{Na}$  in NSC-34 neuronal cells, we also explored whether there are any changes in the inactivation curve of  $I_{Na}$  during cell exposure to this compound. Fig. 1D showed the steady-state inactivation curves of  $I_{Na}$  obtained following the application of Tel (3  $\mu$ M). The relationship between the conditioning potentials and the normalized amplitudes of  $I_{Na}$  was derived and fitted with a Boltzmann function. Values of voltage for half-maximal inactivation ( $V_{1/2}$ ) and corresponding slope factor ( $k$ ) in the control were  $-64.2 \pm 1.1$  and  $9.3 \pm 0.2$  mV ( $n = 9$ ), respectively, while during the exposure to 3  $\mu$ M Tel, those of  $V_{1/2}$  and  $k$  were  $-55.6 \pm 1.2$  and  $9.2 \pm 0.2$  mV ( $n = 9$ ), respectively. As a result, the results demonstrated that the steady-state inactivation curve of  $I_{Na}$  during the exposure to Tel was significantly shifted to a rightward direction, with no clear change in the slope factor ( $k$  value) of this curve.

### *Simulated $I_{Na}$ Traces Created from a Modified HH Model*

In order to closely mimic the stimulatory action of Tel on  $I_{Na}$  observed in NSC-34 cells, we further investigated how the amplitude and gating of  $I_{Na}$  can be modified to influence the electrical behavior of neurons. The modeled  $I_{Na}$  was then created on the basis of a modified HH model (6, 34). In this set of simulations, the values of  $G_{Na}$  and  $V_{Na}$  were set to be 120 mS/cm<sup>2</sup> and +50 mV, respectively, while the initial values of  $m$  and  $h$  are 0.052 and 0.596, respectively. Under these conditions, when the  $h$  inactivation gating value (*i.e.*, the  $\phi$  value) was increased in a stepwise fashion, the peak amplitude of modeled  $I_{Na}$  elicited in response to step depolarization from -80 to -10 mV was clearly increased along with a progressive slowing



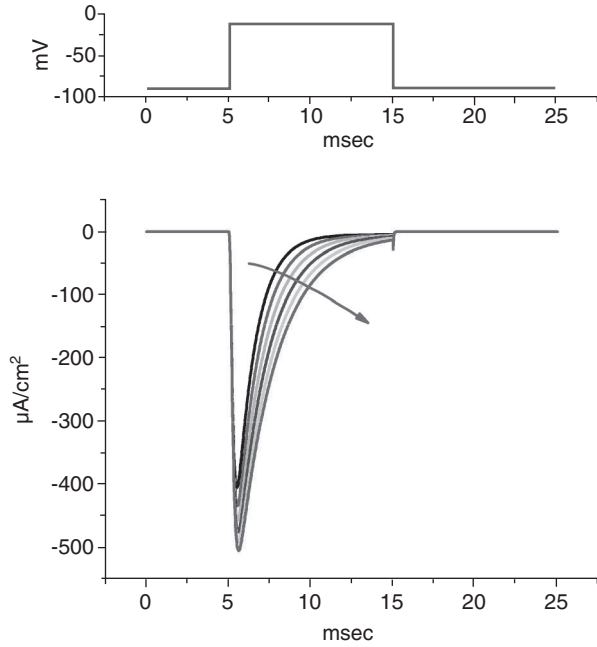


Fig. 2. Simulated  $I_{Na}$  traces in response to membrane depolarization. Detailed simulation profile on the basis of a modified HH model was described in Materials and methods.  $I_{Na}$  traces were created when the  $\phi$  value in the inactivation gating variable ( $h$ ) was increased from 1.0 to 2.0 with 0.2 increments (as indicated by curved arrow). The upper part indicates the voltage protocol used.

in  $I_{Na}$  inactivation (Fig. 2). It is established that a stepwise 0.2 increase of the  $\phi$  value embedded in  $h$  inactivation variable is capable of decreasing the inactivation rate of  $I_{Na}$  accompanied by a gradual increase of peak  $I_{Na}$ . It is therefore clear that current trajectories tend to correspond well with the experimental results showing that Tel induced stimulation of  $I_{Na}$  seen in NSC cells (Fig. 1).

#### Relationship of Changes in Steady-State $V$ Versus the $G_{Na}$ Value

The change of steady-state  $V$  as a function of  $G_{Na}$  was further investigated in this biophysical model. In this set of simulation,  $G_{Na}$  was taken as a variable, and the other parameters were kept with default values shown in Table 1. For example, at  $\phi = 1$ , as the  $G_{Na}$  value increased, the  $V$  became gradually depolarized (Fig. 3). When the  $G_{Na}$  value was below 300 mS/cm<sup>2</sup>,  $V$  was changed slowly; however, as  $G_{Na}$  was larger than 350 mS/cm<sup>2</sup>,  $V$  became rapidly depolarized. In other words, under this condition, the equilibrium point was sensitive to  $G_{Na}$  value, when this value ranged from 350 to 550 mS/cm<sup>2</sup>. Results from this simulation point out that a slight change of  $G_{Na}$  in this range may lead the model to a totally different state.

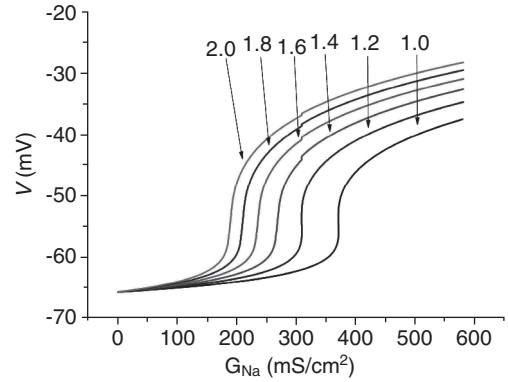


Fig. 3. Steady-state of  $V$  plotted against the value of  $G_{Na}$ . Each arrow indicates the value of  $\phi$  (from 1.0 to 2.0 with 0.2 increments) for the inactivation gating variable ( $h$ ). Of note, although the overall relationship of  $G_{Na}$  versus  $V$  remains unchanged, the curve was shifted towards leftward and upward as the  $\phi$  value was increased in a stepwise fashion.

For example, at  $G_{Na} = 100$  mS/cm<sup>2</sup>, the eigenvalues (*i.e.*,  $\lambda$ ) of the linearized system (8) were -4.624843, -0.119834, -0.238660 + 0.373605*i*, and -0.238660 - 0.373605*i*, the last two of which are the complex conjugate pair with negative real parts; however, at  $G_{Na} = 400$  mS/cm<sup>2</sup>, those values were -12.657916, -0.259931, 3.579923, and 0.044399.

As the bifurcation theory was further applied (9, 45), one bifurcation point (*i.e.*,  $G_{Na} = 212.6$  mS/cm<sup>2</sup>) was established when  $G_{Na}$  varied. The results obtained reflected that the model underwent a Hopf bifurcation as  $G_{Na}$  reached this value and that a periodic solution could emanate from this point. The system is stable around equilibrium when  $G_{Na}$  is less than this value, while it becomes unstable as the bifurcation point for  $G_{Na}$  is exceeded. When the stability of the model was analyzed at  $G_{Na} = 212.6$  mS/cm<sup>2</sup> and other parameters were set at desired values, the eigenvalues were computed to be -4.971929, -0.125961, 0.000359 + 0.380179*i*, and 0.000359 - 0.380179*i*, the last two values of which can be approximately regarded as 0.

Afterwards, we increased the  $\phi$  value stepwise by 0.2; and, the relationship of steady-state  $V$  versus  $G_{Na}$  was notably shifted toward the left. For example, at  $\phi = 2$ , when  $G_{Na}$  reached 180 mS/cm<sup>2</sup>, an abrupt depolarization clearly occurred, although potential change was notably slowed when  $G_{Na}$  was less than 180 mS/cm<sup>2</sup>. The equilibrium point became sensitive to  $G_{Na}$  as this value was greater than 180 mS/cm<sup>2</sup>. Based on the bifurcation theory, at  $\phi = 2$ , the point of Hopf bifurcation became shifted to 106.2 mS/cm<sup>2</sup>. At  $\phi = 2$  and  $G_{Na} = 106.2$  mS/cm<sup>2</sup>, the eigenvalues obtained under this condition were -4.971545, -0.067198, 0.000342 + 0.368152*i*, and 0.000342 -

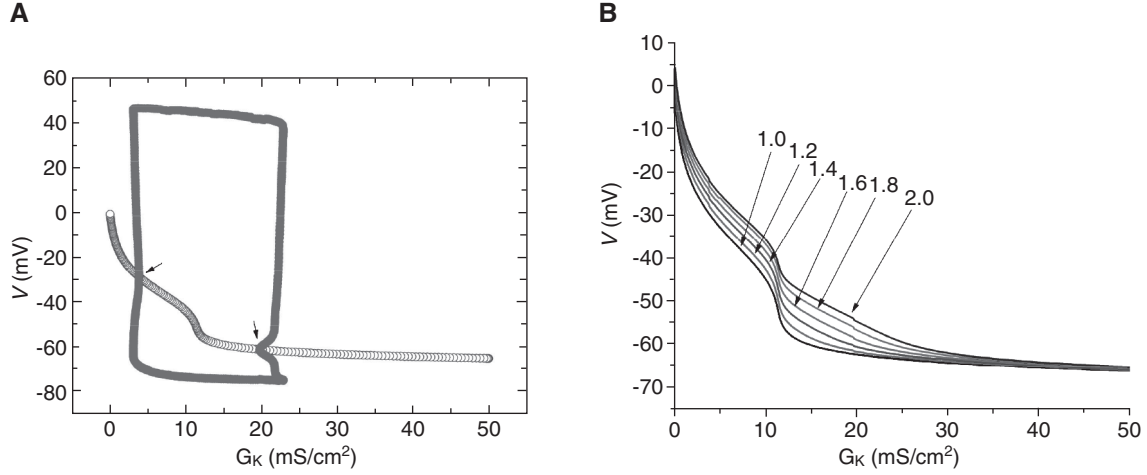


Fig. 4. Bifurcation diagram of  $G_K$  versus  $V$  (A) and steady-state of  $V$  plotted against the  $G_K$  value (B). In this diagram (A), the  $\phi$  value for  $h$  inactivation gating variable was set at 1.0. The open circles represents the equilibrium state, whereas red color is a periodic solution indicating that there is spontaneous firing in the model. Arrows indicate the hopf bifurcation point (*i.e.*, subcritical [ $3.84 \text{ mS}/\text{cm}^2$ ] and supercritical [ $19.76 \text{ mS}/\text{cm}^2$ ] bifurcation points). In (B), each arrow indicates the value of  $\phi$  (from 1.0 to 2.0 with 0.2 increments) included in the inactivation gating variable ( $h$ ). Of note, although the overall relationship of  $G_K$  versus  $V$  remains unchanged, the curve was progressively shifted to the rightward and upward direction after each stepwise increase of the  $\phi$  value. The corresponding values of bifurcation points were shifted to a rightward direction as the  $\phi$  value was increased.

$0.368152i$ , the complex numbers of which are taken to be 0. Therefore, stepwise increase of the  $\phi$  value can alter effect of  $G_{Na}$  on the stability analyzed in this model.

#### Relationship of Changes in Steady-State of $V$ Versus the $G_K$ Value

Next, we chose  $G_K$  as a variable and kept the other parameters with default values shown in Table 1. The same method for the analysis of  $G_{Na}$  was taken to explore the effect of  $G_K$  on the equilibrium, stability and bifurcation of this HH model. Because the desired value of  $G_K$  was  $36.0 \text{ mS}/\text{cm}^2$  (Table 1), the value of  $G_K$  was appropriately chosen to range between 0 and  $50 \text{ mS}/\text{cm}^2$ . As  $\phi = 1$ , the relationship between  $G_K$  and the change of  $V$  is illustrated in Fig. 4. Notably, unlike the value for  $G_{Na}$  which displayed only one critical one, there were two critical values about  $G_K$  (*i.e.*, the subcritical and supercritical bifurcation points). The  $G_K$  values of subcritical and supercritical points obtained at  $\phi = 1$  were computed to be  $3.84$  and  $19.76 \text{ mS}/\text{cm}^2$ , respectively. At  $G_K = 3.84 \text{ mS}/\text{cm}^2$ , the eigenvalues of the model were computed to be  $-5.321428$ ,  $-0.422595$ ,  $-0.000024 + 1.130357i$ , and  $-0.000024 - 1.130357i$ , while at  $G_K = 19.76 \text{ mS}/\text{cm}^2$ , those were  $-4.537836$ ,  $-0.131896$ ,  $0.000475 + 0.343883i$ , and  $0.000475 - 0.343883i$ . As the  $G_{Na}$  values ranged between subcritical and supercritical points, there appeared to a stable limit cycle (*i.e.*, an isolated closed trajectory in the phase

plane) inherently in this modified HH model, despite no current injection given (Fig. 4A). These results can be interpreted to mean that the model is stable when  $G_K$  is less than the subcritical point and greater than the supercritical point. However, there are self-sustained and periodic oscillations at a certain frequency when the  $G_K$  value falls to the range between subcritical and supercritical points.

However, when the  $\phi$  value in  $h$  inactivation gating value was progressively increased, these two values placed at the bifurcation points were elevated (Fig. 4B). For example, as  $\phi = 2.0$ , the subcritical and supercritical points for  $G_K$  became  $5.65$  and  $40.77 \text{ mS}/\text{cm}^2$ , respectively. At  $G_K = 5.65 \text{ mS}/\text{cm}^2$  and  $\phi = 2.0$ , the eigenvalues obtained were  $-7.039552$ ,  $-0.379649$ ,  $0.000445 + 1.168882i$ , and  $0.000445 - 1.168882i$ , while at  $G_K = 40.77 \text{ mS}/\text{cm}^2$  and  $\phi = 2$ , those were  $-5.068220$ ,  $-0.066499$ ,  $0.0004888 + 0.376045i$ , and  $0.0004888 - 0.376045i$ . Therefore, stepwise increase of the  $\phi$  value inside the  $h$  inactivating variable apparently increased the values of bifurcation points and the range between two bifurcation points became progressively widened.

#### Changes of $V$ and Relationship of $m$ , $h$ and $n$

Changes in  $V$  given at different  $\phi$  values were further determined. As shown in Fig. 5A, the  $\phi$  value was set at 1.0, the value of  $G_{Na}$  was arbitrarily set at  $190 \text{ mS}/\text{cm}^2$  and  $V$  was plotted over time. It is noted that the trajectory of  $V$  slightly fluctuated and was

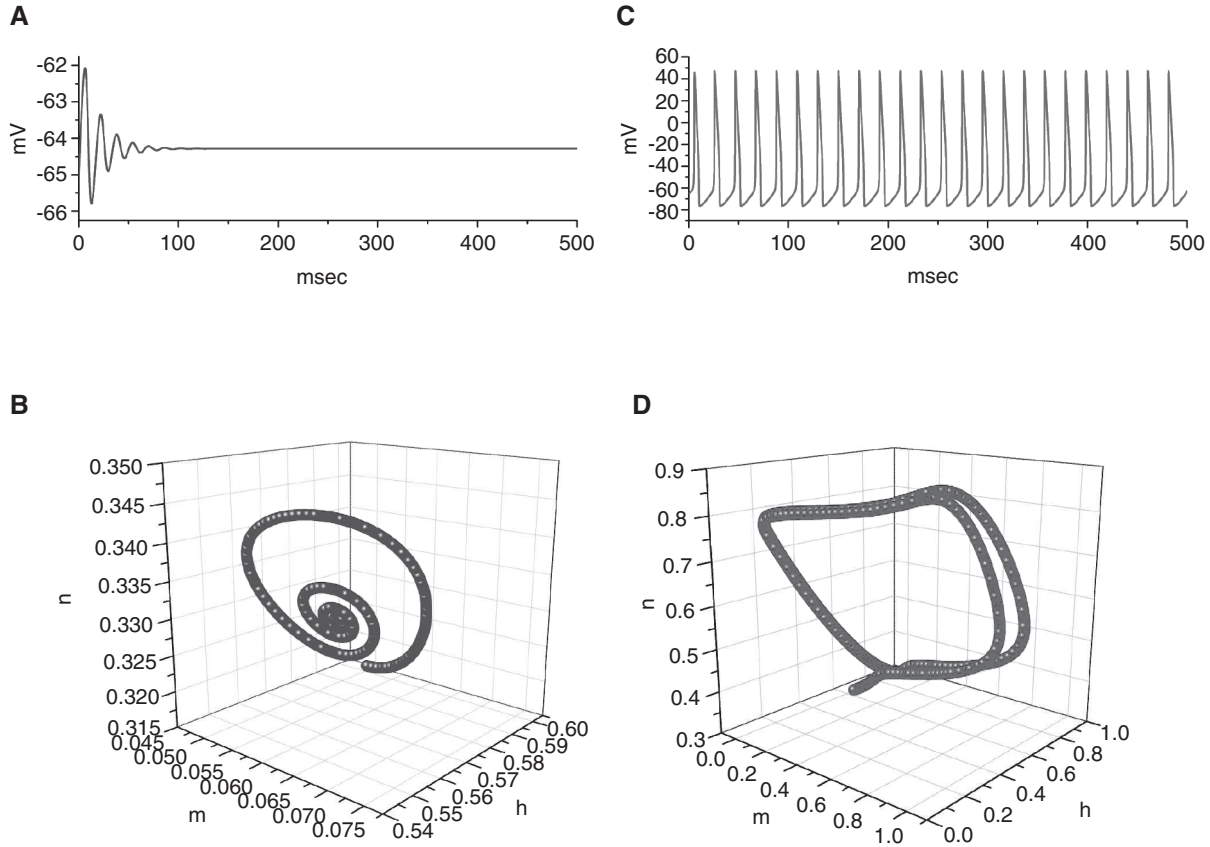


Fig. 5. Changes in  $V$  as a function of time (panels A and C) and three-dimensional trajectories for the relationship of  $m$ ,  $n$ , and  $h$  (panels B and D). In this set of simulation, the value of  $G_{Na}$  was set at  $190 \text{ mS/cm}^2$ , and other parameters were given at the default values (Table 1). The  $\phi$  values for  $h$  inactivation gating variable are set to be 1.0 (panels A and B) and 2.0 (panels C and D), respectively.

followed by an equilibrium state eventually. The corresponding change in the trajectory of gating variables  $m$ ,  $h$ , and  $n$  with time is illustrated in Fig. 5B. It is clear that the electrical behavior of the modeled cell can spiral eventually toward an equilibrium state. The reason from this result is due to the fact that the  $G_{Na}$  value of  $190 \text{ mS/cm}^2$  is less than the value for bifurcation point ( $212.6 \text{ mS/cm}^2$ ). When  $G_{Na} = 190 \text{ mS/cm}^2$ ,  $\phi = 1.0$  and other parameters were set at default values, the eigenvalues were  $-4.997662$ ,  $-0.124380$ ,  $-0.055984 + 0.390982i$ , and  $-0.055984 - 0.390982i$ , the last two of which were noted to be complex numbers with negative real parts (*i.e.*, stable focus). Correspondingly, the maximal Lyapunov exponent, a measure of chaos, was calculated to be  $-0.0556363$ .

However, as the  $\phi$  value was set to 2.0, the system became unstable and the periodical change in  $V$  occurred (Fig. 5C and 5D). Notably, as the  $\phi$  value was at 2.0, the system was perturbed and the bifurcation point of  $G_{Na}$  value was shifted to  $106.2 \text{ mS/cm}^2$ , a value that became lower than  $190 \text{ mS/cm}^2$ . Consequently, the repetitive firing of APs appeared

(Fig. 5C) and the trajectory of  $m$ ,  $h$ , and  $n$  with time turned out to be circles eventually (Fig. 5D). Under this condition, the system became unstable and the electrical activity of cells was in a periodical state at a certain frequency. When  $G_{Na} = 190 \text{ mS/cm}^2$ ,  $\phi = 2$ , and other parameters were set at default values, the eigenvalues were  $-11.301138$ ,  $-0.181231$ ,  $3.742668$ , and  $0.011457$ , and the maximal Lyapunov exponent became positive (*i.e.*,  $0.241989$ ). Therefore, when there is the stepwise increase of  $\phi$  value, in which stimulatory effect of Tel on  $I_{Na}$  is mimicked, the firing tendency of modeled cell is virtually increased.

Similarly, when the  $\phi$  value in  $h$  inactivation variable was 1.0,  $G_K$  was arbitrarily set to  $25 \text{ mS/cm}^2$  and other parameters were set at desired values, the system remains to be stable because, under this condition, the  $G_K$  value became greater than the supercritical bifurcation point ( $19.76 \text{ mS/cm}^2$ ). Indeed, as  $G_K = 25 \text{ mS/cm}^2$  with the default values in other parameters, the calculated eigenvalues were  $-4.567741$ ,  $-0.125725$ ,  $-0.095417 + 0.372708i$ , and  $-0.095417 - 0.372708i$ , the last two of which notably had negative real parts. However, as  $\phi$  was increased



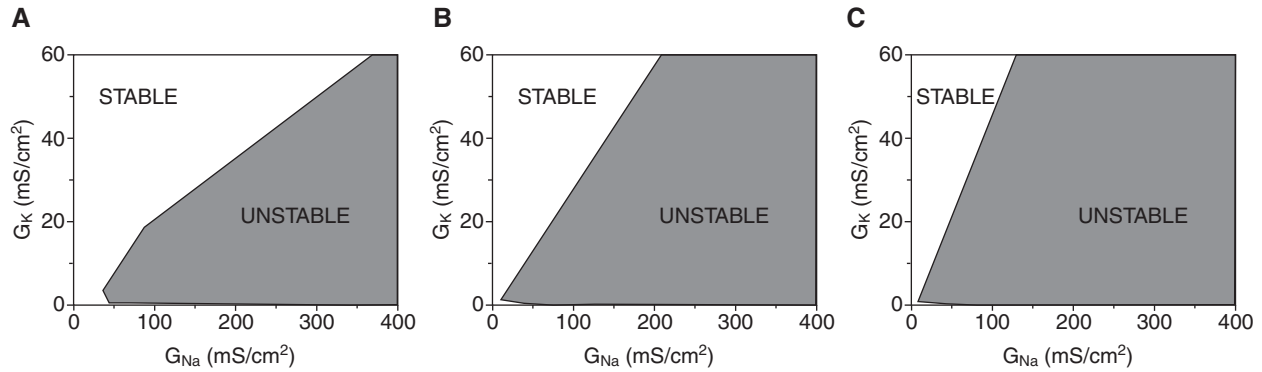


Fig. 6. Excitability diagram of  $G_{Na}$  and  $G_K$  existing in modified HH model. The shaded gray region indicates the unstable state which is able to produce periodical solutions in a certain period, while the white region represents the stable state. The black solid line indicates the critical boundary. The value of  $\phi$  for inactivation gating variable ( $h$ ) in (A) is 1.0 and those shown in (B) and (C) are 2.0. In (C), the  $\phi$  value of  $h$  gating variable is set at 2.0 and the  $V_K$  value is -50 mV to mimic the elevation of extracellular  $K^+$  concentration.

to 2.0, repetitive firing of APs occurred because the  $G_K$  value fell to the range between two bifurcation points (*i.e.*, 5.65 and 40.77 mS/cm<sup>2</sup>). As  $G_K = 25$  mS/cm<sup>2</sup> and  $\phi = 2$ , the eigenvalues were -5.641992, -0.105577, 1.127239, and 0.027936.

#### Phase Plane of $G_{Na}$ and $G_K$ Derived from this HH Model

The effects of  $G_{Na}$  and  $G_K$  on the stability and bifurcation of modeled HH cells were further analyzed. As shown in Fig. 6, according to the stability theory (9), it is anticipated that the model becomes stable when  $G_{Na}$  and  $G_K$  are in white region and it turns out to be unstable when  $G_{Na}$  and  $G_K$  fall to gray region. This means that the electrophysiological activity can reach a steady state as  $G_{Na}$  and  $G_K$  are in white region; however, change in  $V$  becomes periodic, when the values of these two conductances are placed at gray region. The stability of the model was further analyzed. When eigenmatrix and eigenvalues of the model were computed, we further found out that the real parts in the complex numbers for all of its eigenvalues were negative if  $G_{Na}$  and  $G_K$  were placed at white region shown in Fig. 6. However, if  $G_{Na}$  and  $G_K$  belonged to gray region, positive real numbers in eigenvalues clearly appeared. For example, as  $G_{Na} = 190$  mS/cm<sup>2</sup> and  $G_K = 10$  mS/cm<sup>2</sup> which are placed at gray region, the eigenvalues are -0.120304, -0.372698,  $0.593699 + 0.709043i$ , and  $0.593699 - 0.709043i$ , the last two of which are positive real parts. However, as  $G_{Na} = 190$  mS/cm<sup>2</sup> and  $G_K = 40$  mS/cm<sup>2</sup> which are in white region, the corresponding eigenvalues are -4.90174, -0.122658,  $-0.100206 + 0.400234i$ , and  $-0.100206 - 0.400234i$  and the periodical changes resultantly vanish.

As depicted in Fig. 6, the results led us to indicate that when  $G_{Na}$  and  $G_K$  are in white region,

the electrophysiological activity can reach a steady state; however, as  $G_{Na}$  and  $G_K$  belong to gray region, the activity becomes periodic at a certain frequency. It is thus clear that the system undergoes bifurcations when  $G_{Na}$  and  $G_K$  are on the boundary (indicated by black solid line). However, when the  $\phi$  value in  $h$  inactivation gating value was set at 2.0 and other parameters were kept in desired values, the critical boundary was shifted leftward and upward, indicating that the model becomes more unstable and is qualitatively susceptible to shift towards periodic changes in electrical behavior of cells. For example, as  $\phi = 2.0$ ,  $G_{Na} = 190$  mS/cm<sup>2</sup> and  $G_K = 40$  mS/cm<sup>2</sup> which become placed at gray region, the eigenvalues are -0.6074081, -0.093835, 1.141662, and 0.038552. By virtue of a linear regression, the critical boundary of  $G_{Na}$  versus  $G_K$  at  $\phi = 1.0$  and  $\phi = 2.0$  can be expressed as  $G_K = 0.161244 \times G_{Na} + 0.5743$  and  $G_K = 0.29212 \times G_{Na} - 2.115329$ , respectively. As a result, it is clear that the slope value increased from 0.161244 to 0.29212 when the  $\phi$  value was elevated from 1.0 to 2.0. This value at  $\phi = 2.0$  is nearly twice as much as that at  $\phi = 1.0$ .

Additionally, as hyperkalemia may occur during Tel administration (41) and elevated extracellular  $K^+$  can alter the  $V_K$  value in HH model (26, 33, 36), we further investigated if there are any changes in the phase plane of  $G_{Na}$  and  $G_K$ . As illustrated in Fig. 6C, as  $\phi = 2$  and  $V_K = -50$  mV, the critical boundary was shifted leftward further along with a broadening of unstable region created from phase plane of  $G_{Na}$  and  $G_K$ . The results indicate that this condition, where  $\phi$  is increased, renders modeled neuron vulnerable to the appearance of repetitive firing. For example, as  $\phi = 2.0$ ,  $V_K = -50$  mV,  $G_{Na} = 90$  mS/cm<sup>2</sup> and  $G_K = 30$  mS/cm<sup>2</sup> which become notably placed at gray region, the eigenvalues are

-11.958960, -0.282983, 0.094042 + 0.735902*i*, and 0.094042 - 0.735902*i*.

#### Simulation of Tel-Mediated Activation of $I_{Na}$ Derived from a Markovian Model

To further elucidate the ionic mechanism of stimulatory actions of Tel, a modified markovian model used to simulate  $I_{Na}$  was examined. This model illustrated in Fig. 7A was originally derived from Clancy and Rudy (7). The detailed meanings for default parameters used in this model were described in the paper of Clancy and Rudy (7). Basically, the model consists of three closed states, one open state, one fast inactivation (IF) state, two closed-inactivation state and two intermediate inactivated states. As shown in Fig. 7B, the stimulatory effect of Tel on simulated  $I_{Na}$  was found to closely resemble the experimental observations. The results showed that the stimulatory effect of Tel at a concentration of 10 and 30  $\mu$ M can be mimicked by a reduction of  $\alpha_2$  (i.e., transitional rate from IF to open (O) state) to 19 and 10  $\text{msec}^{-1}$  from a control value of 29.6  $\text{msec}^{-1}$ . Therefore, a progression toward the activated state became slowed in the presence of 10 and 30  $\mu$ M Tel by 36 and 66%, respectively. The simulation results are well fit to the experimental observations showing that during cell exposure to Tel (10 and 30  $\mu$ M), current amplitudes of  $I_{Na}$  in response to step depolarization were increased, along with an increase in inactivation time constant.

### Discussion

The principal findings of this study were that, in differentiated NSC-34 neuronal cells, addition of Tel consistently increased the peak amplitude of  $I_{Na}$  and the inactivation time constant of this current; however, it did not alter the activation time course of the current. The simulation model presented herein was used to predict that a delay in the inactivation time course of  $I_{Na}$  (i.e.,  $h$  inactivating variable) can mainly modify the stability and bifurcations of  $G_{Na}$  and  $G_K$ . Taken together, findings from this study reveal that the increases of both peak amplitude and inactivation time constant of  $I_{Na}$ , in which the Tel action is mimicked, are the potential mechanisms underlying the rate and pattern of repetitive firing of neuronal APs occurring *in vivo*.

Earlier studies have demonstrated the ability of Tel to induce agnostic activity of PPAR- $\gamma$  (3, 24, 31, 40, 41, 44). Ciglitazone (3  $\mu$ M), a thiazolidinedione ligand known to be an agonist of PPAR- $\gamma$  (16, 36), alone had minimal effect on the amplitude and kinetics of  $I_{Na}$  in NSC-34 cells. In continued presence of Tel, subsequent application of neither

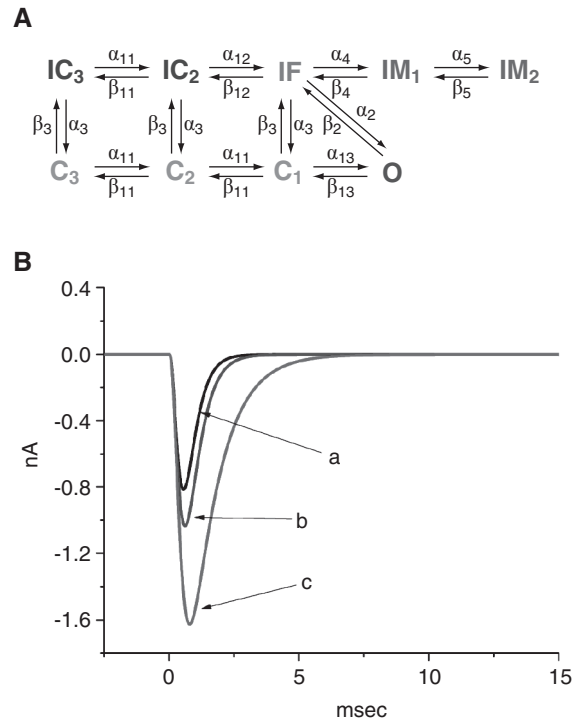


Fig. 7. Simulation of Tel-mediated activation of voltage-gated  $I_{Na}$ . The state diagram of markovian model for  $I_{Na}$  illustrated in (A) were originally developed by Clancy and Rudy (7). Source file for the formulation is available at <http://senselab.med.yale.edu/senselab/modeldb>. The solutions to the ordinary differential equations were implemented in XPP software package. The default values (i.e., in the control) for numerical parameters are shown in the paper of Clancy and Rudy (7). In (A), C: Closed state; O: Open state; IF: Fast inactivation state; IC: Closed-inactivation state; IM: Intermediate inactivation state. In (B), the model cell was depolarized from -80 to -10 mV. When the value of  $\alpha_2$  was changed to 19  $\text{msec}^{-1}$  (b) and 10  $\text{msec}^{-1}$  (c) from a control value of 29.6  $\text{msec}^{-1}$  (a), there was an increase in peak amplitude in combination with the increased inactivation time constant. Traces (b) and (c) were created to mimic the effect of 10 and 30  $\mu$ M Tel, respectively.  $IF \leftrightarrow O$  is linked to the fast inactivation, while  $IF \leftrightarrow IM_1$  and  $IM_1 \leftrightarrow IM_2$  correspond to the slow inactivation process.

angiotensin II (200 nM) nor BADGE (3  $\mu$ M), an antagonist of PPAR- $\gamma$ , was found to have any effect on reversing Tel-mediated stimulation of  $I_{Na}$  in this study. Additionally, in NSC-34 cells incubated with angiotensin II for 6 h, Tel-induced activation of peak  $I_{Na}$  and slowing in current inactivation remained intact (data not shown). Valsartan (3  $\mu$ M), another blocker of AT1R, also stimulated  $I_{Na}$  effectively in NSC-34 cells. Therefore, it is likely that the actions of Tel or other structurally similar compounds on  $I_{Na}$  seen in NSC-34 cells are largely in-

dependent of either its binding to AT1Rs or activation of PPAR- $\gamma$ . Although the exact binding target for Tel is currently unclear, the challenge of cells (e.g., NSC-34 neuronal cells) with Tel can exert an interaction at binding site(s) inherently existing on  $Na_V$  channels, resulting in conformational changes in the channel protein and eventually perturbing the gating kinetics of the channel. In other words, activation of  $I_{Na}$  by Tel is not instantaneous, but develops with time after the channel becomes opened, thereby producing a slowing in current inactivation. Moreover, there is a rightward shift of steady-state inactivation curve of  $I_{Na}$  during cell exposure to Tel.

The changes in the qualitative nature of solutions to HH-based differential equations as the parameters of  $\phi$ ,  $G_{Na}$  and  $G_K$  varies are demonstrated in this study. In numerical simulation, as compared with those at  $\phi = 1$ , the peak amplitude of  $I_{Na}$  is actually enhanced in combination with a marked slowing in  $I_{Na}$  inactivation when  $\phi$  is arbitrarily chosen at 2.0. These theoretical results clearly indicate that changes in the magnitude and kinetics of  $Na_V$  channels, in which  $\phi$  value varies and the Tel action is mimicked, can cause significant impact on electrical behavior of neurons or neuroendocrine cells occurring *in vivo*. Additionally, by virtue of a markovian model for  $I_{Na}$  (7), the simulated  $I_{Na}$  was also created to mimic the stimulatory action of Tel on this current.

Our study showed that, when the retardation of  $I_{Na}$  inactivation on which addition of Tel produced an action occurred, the relationship of steady-state change in  $V$  versus  $G_{Na}$  became progressively altered. Stable states shown in this study predict that the electrophysiological activity of cell (e.g., NSC-34 neuronal cell) will get to corresponding resting state eventually, while periodic phenomenon tends to be similar to the response of pathological cell's APs caused by cardiac arrhythmias (27, 28). Besides that, under this condition, the relationship of changes in  $V$  versus  $G_K$  still remained to be markedly altered, despite no changes in the default parameter values inherently from modeled  $I_K$ . Nonetheless, Tel is able to exert an additional unanticipated effect on the amplitude and kinetics of  $I_{Na}$  in neurons, which is presumably independent of blockade of AT1Rs. Similarly, (-)-epicatechin-3-gallate or tefluthrin were recently reported to be an agonistic action on  $I_{Na}$  accompanied by the decreased inactivation rate (14, 32, 38, 39). The data also implied the possibility of Tel actions on other types of excitable cells that express functional  $Na_V$  channels (18).

The biophysical model used in this study tends to be based on a relatively small number of variables. However, it indeed allows us to highlight a qualitative way how neurons or neuroendocrine spike and why

they switch between two modes of firing without any need of knowing the detailed scheme in the system (27). The quantitative model presented herein is able to complement the experimental observations by providing insight into  $Na_V$  channels, which can impinge upon electrical behavior of neurons or neuroendocrine cells. Our stimulation results generated from this model also support the notion that changes in the magnitude and kinetics of  $I_{Na}$  caused by Tel, in which varying  $\phi$  is one of the valuable parameters, are responsible for its actions on the functional activity of neurons or neuroendocrine cells *in vivo*. Taken together, it should be noted here that the neurological actions caused by Tel or its structurally similar compounds can be linked mainly to its direct actions on the amplitude and gating of  $Na_V$  channels (18). Attention therefore needs to be given in attributing Tel-induced neurological actions *in vivo* to either blockade of AT1R or activation of PPAR- $\gamma$  activity (1-3, 13, 19, 20, 29, 30, 44). The majority of  $I_{Na}$  identified in differentiated NSC-34 neuronal cells was found to resemble  $Na_V1.7$  encoded by SCN9A gene. Whether Tel-induced stimulation of  $I_{Na}$  is isoform-specific remains to be further explored.

In this study, two theoretical models were used for investigations on Tel actions on the kinetics of  $I_{Na}$  recorded from NSC-34 neuronal cells. Indeed, on the basis of our simulations, these two models were found to mimic the effect of Tel on  $I_{Na}$ , although there are three inactivated states in the model of Clancy and Rudy (7). It is therefore possible that the Tel molecule acts predominantly on the fast inactivated state of  $Na_V$  channels. However, the Clancy Rudy model (7) is tailored to the cardiac  $Na_V1.5$  channel, not to neuronal  $Na_V$  channels. Therefore, whether the Tel molecule contributes to the slow inactivated states in  $Na_V$  channels remains to be further experimentally explored.

In this study, addition of Tel enhanced  $I_{Na}$  with an  $EC_{50}$  value of 1.2  $\mu M$ . The plasma Tel concentration after oral and intravenous administration of a single dose of 40 mg Tel can reach about 0.087  $\mu M$  (44.7 ng/ml) and 2.32  $\mu M$  (1196 ng/ml), respectively (26). The plasma level of Tel reported previously (26) was obtained after intravenous administration which is not usually done in clinical setting. Therefore, under such conditions, or, perhaps, with oral overdosing, Tel would have a substantial effect on  $I_{Na}$ . Moreover, binding studies performed in membrane preparations derived from rat lung have reported a high affinity of Tel to the AT1R with a  $K_i$  value of 3.7 nM (12). Tel concentrations in the cerebrospinal fluid (CSF) following 8 days of oral treatment with lowest and highest (1 and 30 mg/kg of body weight per day) were reported to range from 0.9 ng/ml to 46.5 ng/ml (*i.e.*, from 2 to 100 nM) (12). Because the Tel molecule pos-

sesses good lipophilicity, it can readily transverse the blood-brain barrier and subsequently penetrate different brain regions. Therefore, to what extent Tel-stimulated  $I_{Na}$  presented herein could be of pharmacological relevance remains to be further delineated.

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### Conflict of Interest

The authors declare that they have no competing interests.

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